

Addition	Subtraction
Multiplication	Division

7	+	5	=	12
addend		addend		sum

'adding the places'

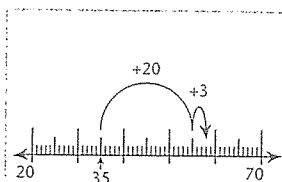
Start with one addend, then add the value of the digits of the other addend(s).

see

$$35 + 23 = \underline{\quad}$$

think

$$35 + 20 + 3$$

**'bridging to ten'**

Start with one addend, count up to the next multiple of 10 (100, 1000, etc.), then add the balance of the second addend.

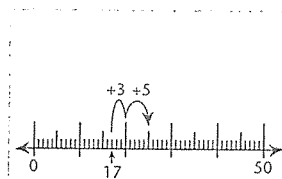
Synonyms: 'bridge the decades'; 'bridge to ten'; 'make a ten'; 'make to ten'; 'use ten'

see

$$17 + 8 = \underline{\quad}$$

think

$$17 + 3 + 5$$

**'compensating'**

Round one or both addends before adding. Then adjust the answer to compensate for the rounding.

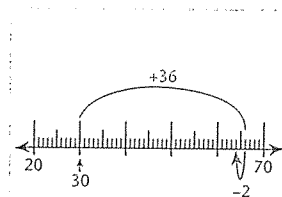
Synonyms: 'compensation'; 'round and adjust'; 'round or adjust'

see

$$28 + 36 = \underline{\quad}$$

think

$$(30 + 36) - 2$$

**'counting on'**

Start with one addend, then count on parts (not places) of the other addend.

Synonym: 'jump'

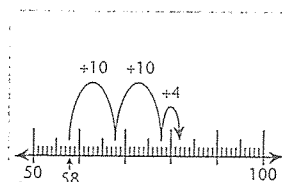
Sub-strategies: 'count-on-1'; 'count-on-2'; 'count-on-3'

see

$$58 + 24 = \underline{\quad}$$

think

$$58 + 10 + 10 + 4$$

**'using compatible addends'**

Choose pairs of addends to make the calculation more manageable. This strategy applies only when there are three or more addends.

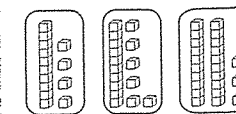
Synonym: 'use compatible pairs'

see

$$14 + 23 + 16 = \underline{\quad}$$

think

$$14 + 16 + 23$$

**'using doubles'**

Use a known nearby 'double'.

Synonym: 'near doubles'

Sub-strategies: 'double-plus-1'; 'double-plus-2'

see

$$7 + 8 = \underline{\quad}$$

think

$$7 + 8 = 15$$

because $7 + 7 = 14$

'using place value'

Expand the addends into places before adding the value of the digits in each place.

Synonym: 'split'

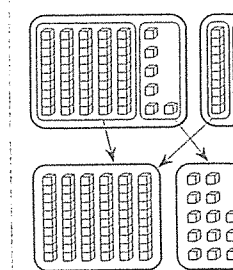
see

$$56 + 17 = \underline{\quad}$$

think

$$50 + 10 + 6 + 7$$

or $6 + 7 + 50 + 10$



Subtraction

$12 - 7 = 5$
 minuend subtrahend difference

adjusting'
 Change the minuend and the subtrahend in the same way to make the calculation more manageable.

see
 $83 - 58 = \underline{\hspace{1cm}}$

think
 $80 - 55$
(subtract 3 from each)

bridging to ten'
 Start with the minuend, count back to the next decade, then subtract the balance of the subtrahend.
 Synonym: 'bridge the decades'

see
 $45 - 12 = \underline{\hspace{1cm}}$

think
 $45 - 5 - 7$

'compensating'
 Round the minuend or subtrahend before subtracting. Then adjust the answer to compensate for the rounding.
 Synonyms: 'compensation'; 'round and adjust'; 'round or adjust'

see
 $82 - 35 = \underline{\hspace{1cm}}$

think
 $(80 - 35) + 2$

'counting back'
 Start with the minuend, then count back parts (not places) of the subtrahend.
 Synonym: 'jump'
 Strategies: 'count-back-1'; 'count-back-2'; 'count-back-3'

see
 $86 - 24 = \underline{\hspace{1cm}}$

think
 $86 - 10 - 10 - 4$

Subtraction

'subtracting the places'
 Start with the minuend then subtract the value of the digits in the subtrahend.

see
 $68 - 35 = \underline{\hspace{1cm}}$

think
 $68 - 30 - 5$

'thinking addition'
 Use addition facts to solve a subtraction problem.

see
 $15 - 12 = \underline{\hspace{1cm}}$

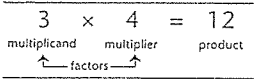
think
 $12 + 3 \text{ is } 15$
so 15 - 12 is 3

'using place value'
 Expand the minuend and subtrahend and subtract the value of the digits in each place.
 Synonym: 'split'

see
 $56 - 32 = \underline{\hspace{1cm}}$

think
 $(50 - 30) + (6 - 2)$

Multiplication



breaking a factor'

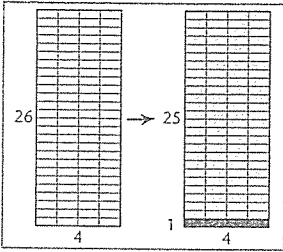
Split one factor into manageable parts (not places) before multiplying each part and adding the partial products.

see

26 × 4 = __

think

(25 × 4) + (1 × 4)



building down'

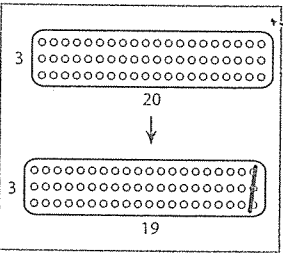
Use a known fact that is greater than the given fact to calculate an unknown fact or its turnaround.

see

19 × 3 = __

think

19 × 3 is 57 because
20 × 3 is 60



building up'

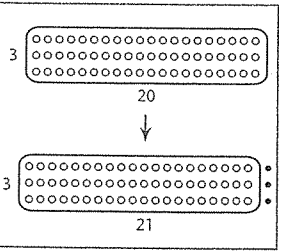
Use a known fact that is less than the given fact to calculate an unknown fact or its turnaround.

see

21 × 3 = __

think

21 × 3 is 63 because
20 × 3 is 60



doubling'

Double or repeatedly double to multiply by 2, 4, 8 or any power of 2.

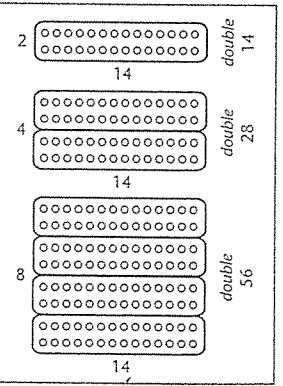
Sub-strategies: 'double'; 'double-double'; 'double-double-double'

see

8 × 14 = __

think

Double 14 is 28
Double 28 is 56
Double 56 is 112



Multiplication

'doubling and halving'

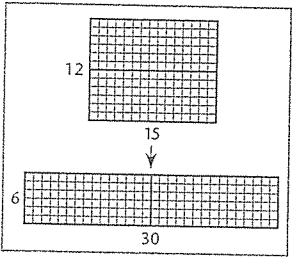
Double one factor and halve another to make an equivalent number sentence that is more manageable to calculate mentally. The process could require repeated doubling and halving. At least one factor needs to be even.

see

12 × 15 = __

think

6 × 30



'factorising'

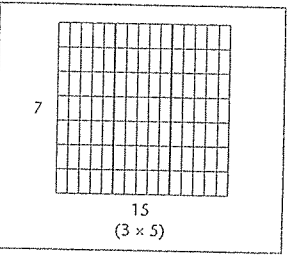
Break one (or more) factor(s) into two factors. All the factors are then considered. The strategy of 'using compatible factors' is often applied at this stage.

see

15 × 7 = __

think

3 × 5 × 7 or 5 × 3 × 7



'recognising midpoints'

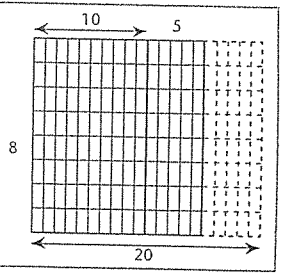
Identify one number as a midpoint between two known facts.

see

8 × 15 = __

think

8 × 15 must be halfway
between 8 × 10 (80)
and 8 × 20 (160)

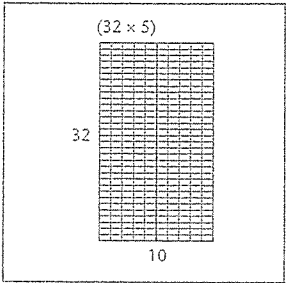


Multiplication

'using a benchmark number'
Recognise that one of the factors is a unit fraction of a common benchmark such as 10, 100 or 1000.
Synonym: 'use ten'

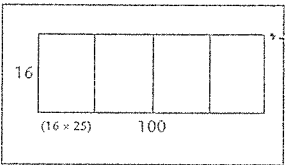
see
 $32 \times 5 = \underline{\hspace{1cm}}$

think
 32×10 is 320, so 32×5 must be one half of 320 (160)



see
 $16 \times 25 = \underline{\hspace{1cm}}$

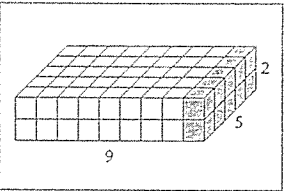
think
 16×100 is 1600, so 16×25 must be one quarter of 1600 (400)



'using compatible factors'
Choose pairs of factors to make the calculation more manageable. This strategy applies only when there are three or more factors.
Synonym: 'use compatible pairs'

see
 $2 \times 9 \times 5 = \underline{\hspace{1cm}}$

think
 $(2 \times 5) \times 9$



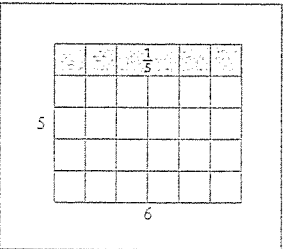
'using division'
Divide when multiplying by a group fraction or percentage.

see
 $\frac{1}{5} \times 30 = \underline{\hspace{1cm}}$

think
 $30 \div 5$

see
10% of 180

think
10% of 180 is the same as $\frac{1}{10}$ of 180
 $\frac{1}{10}$ of 180 is the same as $180 \div 10$

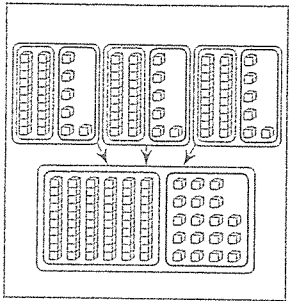


Multiplication

'using place value'
Use the distributive property to multiply the places of one factor by each place of the other factor.
Synonym: 'multiply the parts'

see
 $26 \times 3 = \underline{\hspace{1cm}}$

think
 $(20 \times 3) + (6 \times 3)$



Division

12 ÷ 3 = 4

dividend divisor quotient

'adjusting'

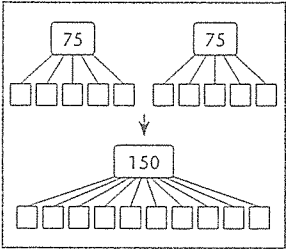
Change the dividend and divisor by multiplying each number by the same amount to make the calculations more manageable.

see

75 ÷ 5 = __

think

150 ÷ 10
(double each number)



'breaking the dividend'

Split the dividend into manageable parts (not places), before dividing each part and adding the quotients.

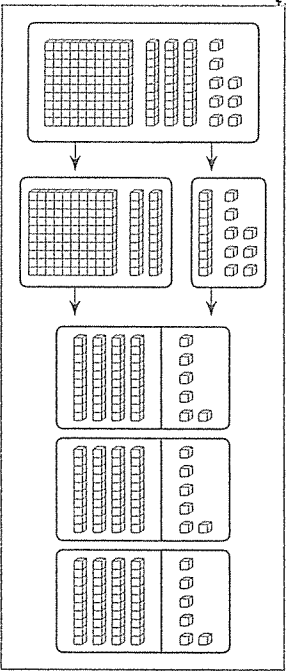
Synonyms: 'break up the dividend'; 'divide the parts'

see

138 ÷ 3 = __

think

(120 ÷ 3) + (18 ÷ 3)



Division

'halving'

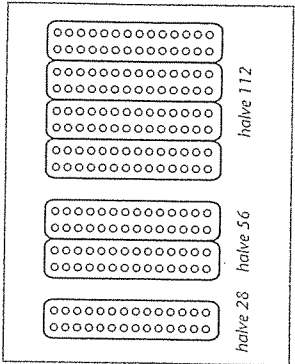
Halve or repeatedly halve to divide by 2, 4, 8 or any power of 2.

see

112 ÷ 8 = __

think

Half of 112 is 56
Half of 56 is 28
Half of 28 is 14



'thinking multiplication'

Use multiplication to solve a division problem.

see

35 ÷ 7 = __

think

7 × 5 is 35
so 35 ÷ 7 is 5

'using place value'

Expand the dividend into places (or a combination of places) before dividing each place and adding the quotients.

Synonym: 'expanding the dividend'

see

318 ÷ 3 = __

think

(300 ÷ 3) + (18 ÷ 3)

